

# Interactive Alarm Ranking System using Bayesian Inference

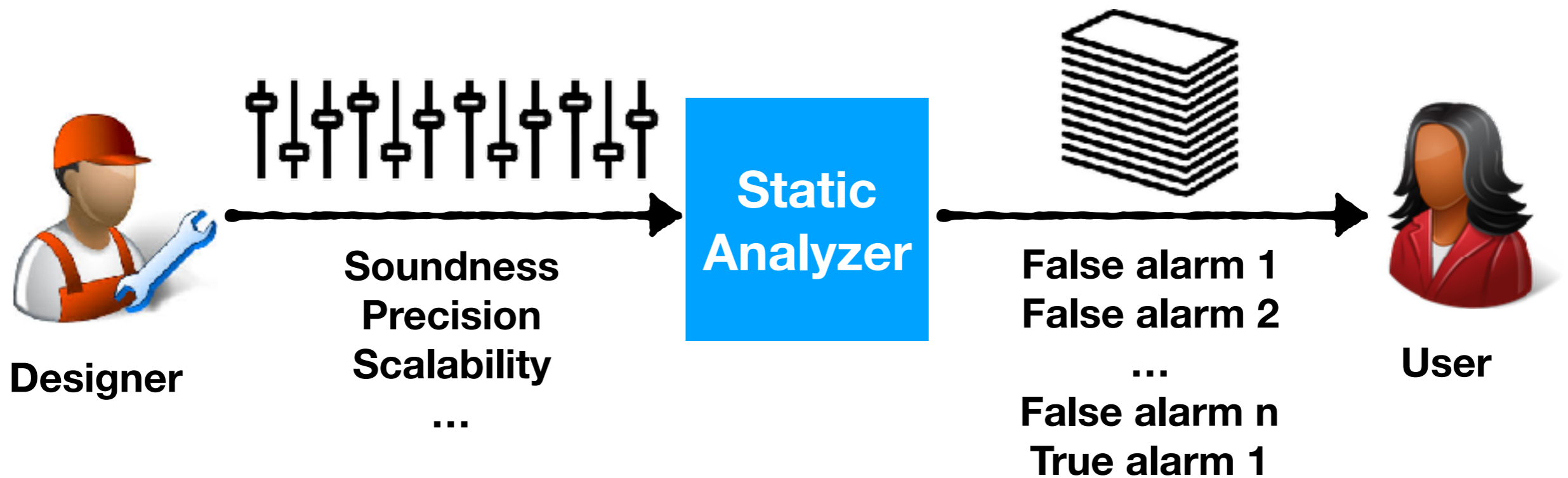
Kihong Heo

University of Pennsylvania

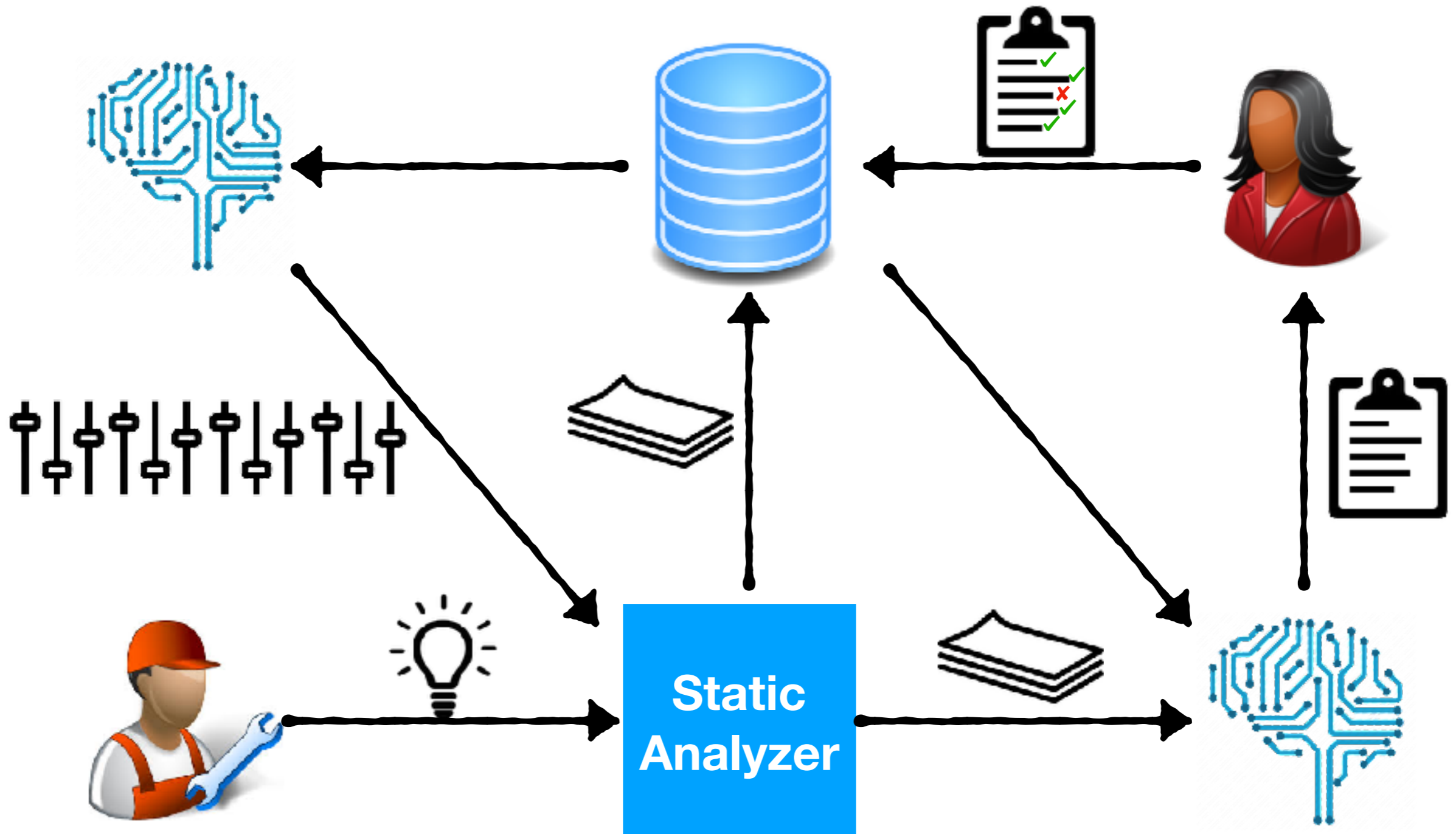
(cowork with Sulekha Kulkarni, Mayur Naik, Mukund Raghothaman)

Jan 4 2017 @ Korea University

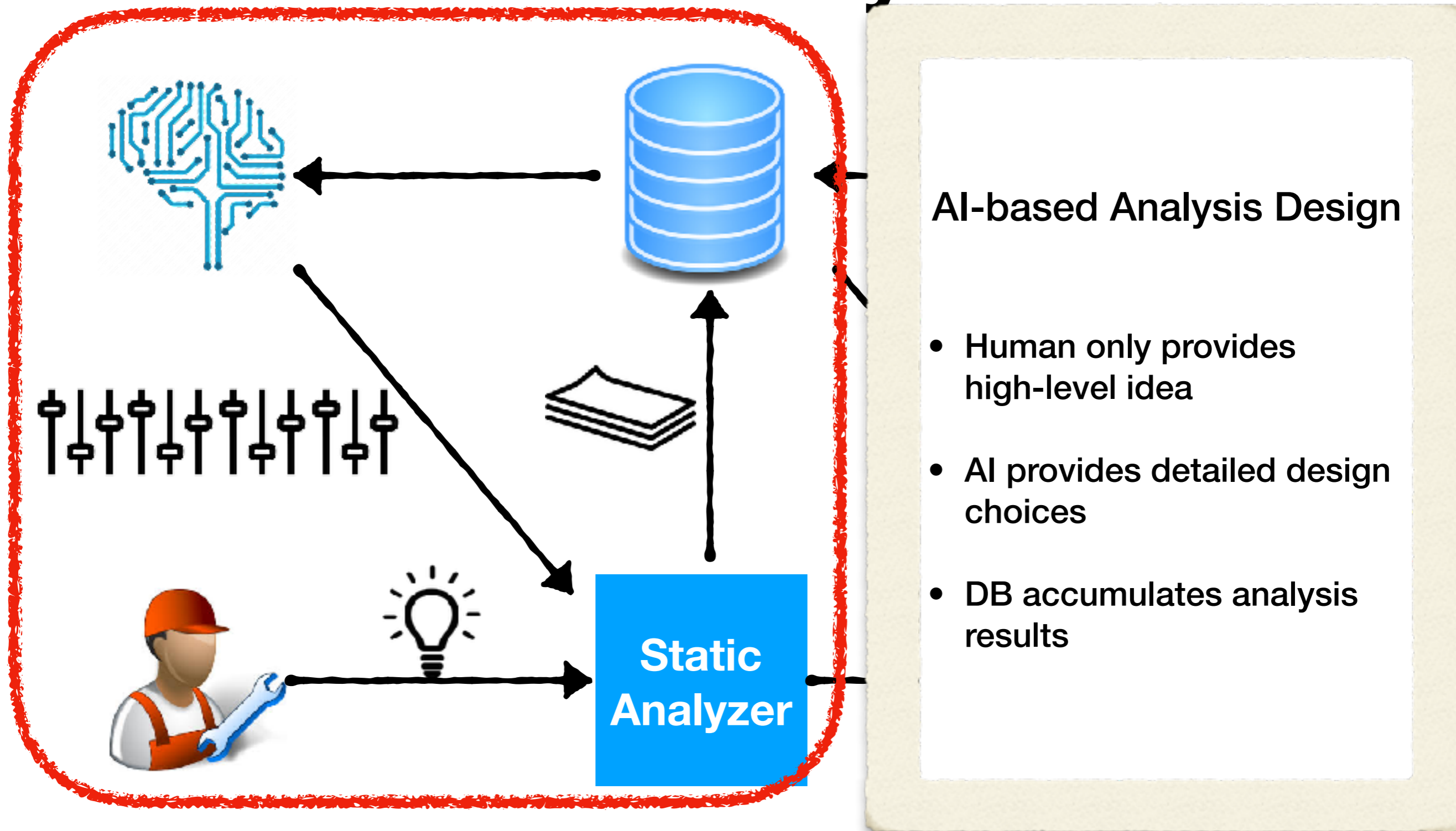
# Conventional Static Analysis



# Next-generation Static Analysis



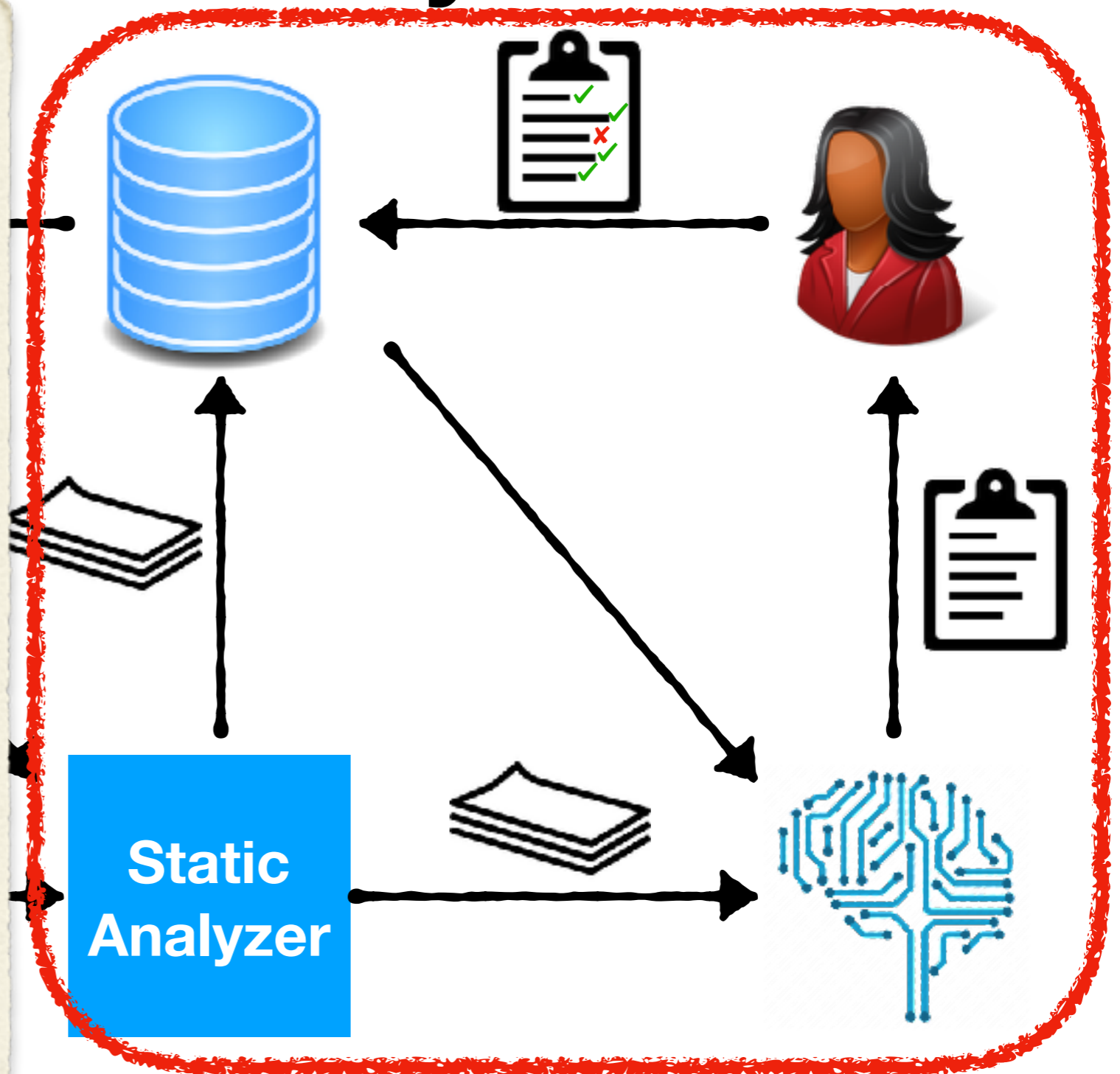
# Next-generation Static Analysis



# Next-generation Static Analysis

## AI-based Alarm Report

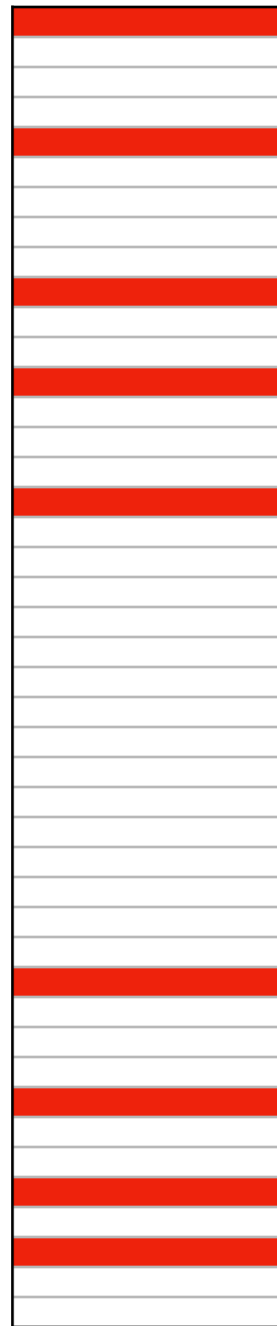
- AI prioritizes/classifies analysis alarms
- Human only inspects alarms with high confidence
- DB accumulates analysis results and labeled alarms



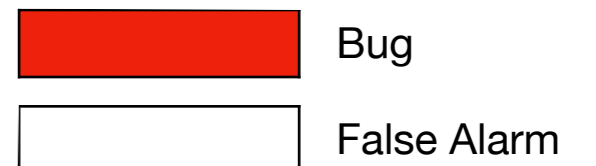
# **BINGO: An Interactive Alarm Ranking System**

# Interactive Alarm Ranker

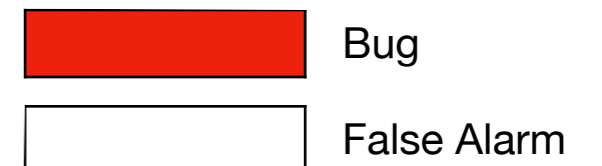
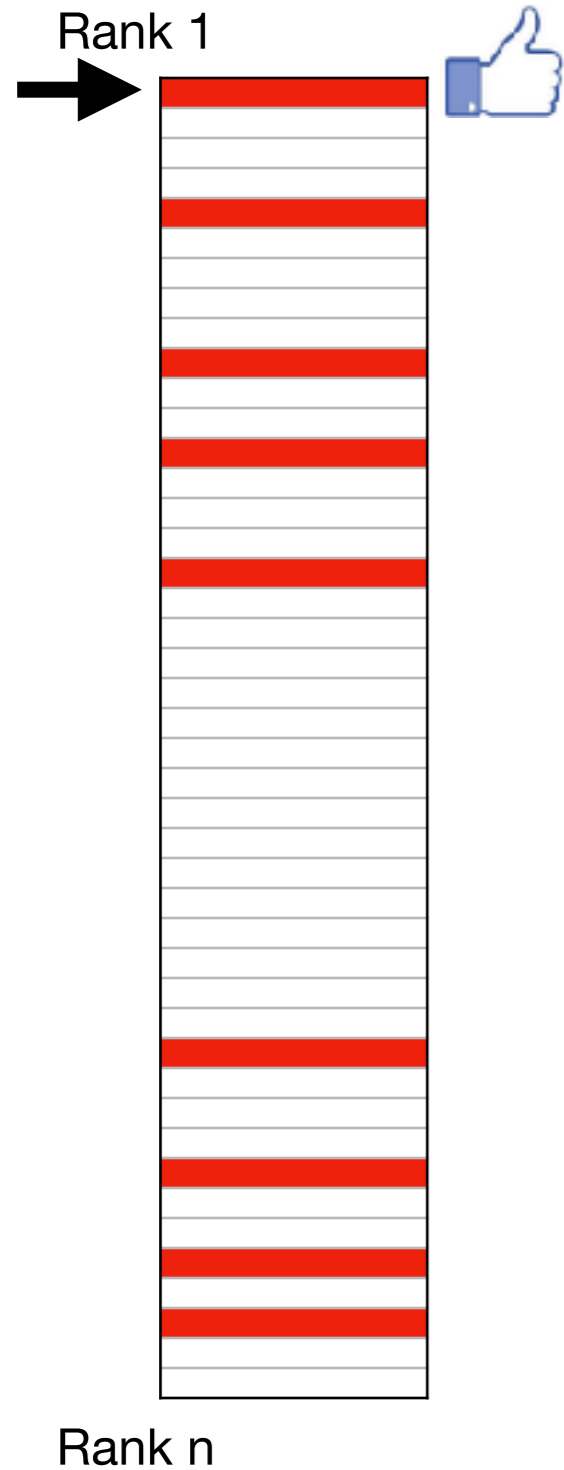
Rank 1



Rank n

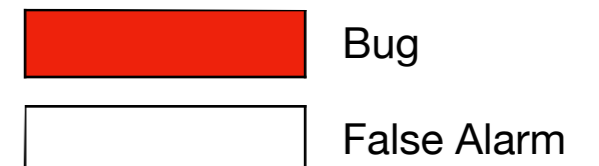
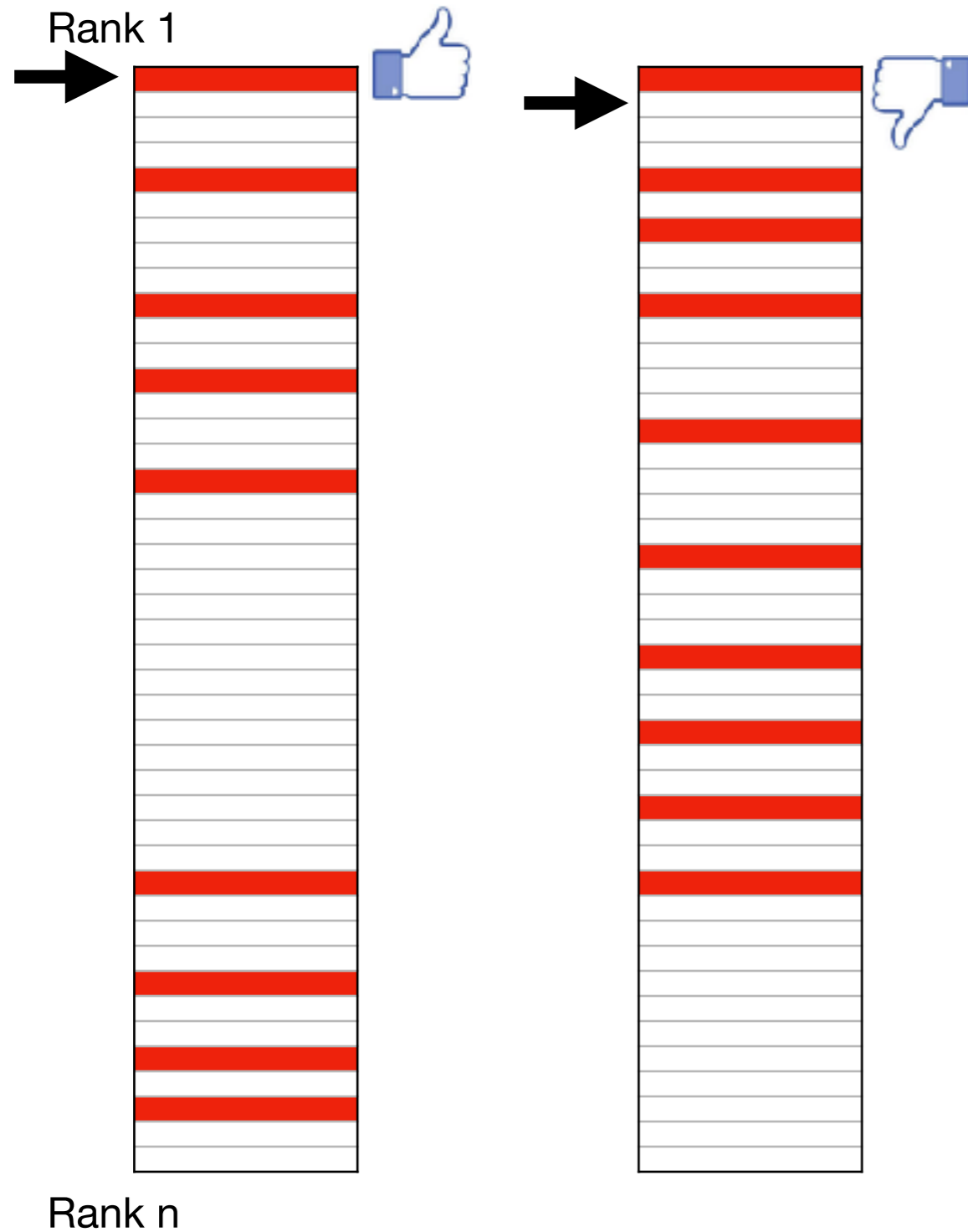


# Interactive Alarm Ranker

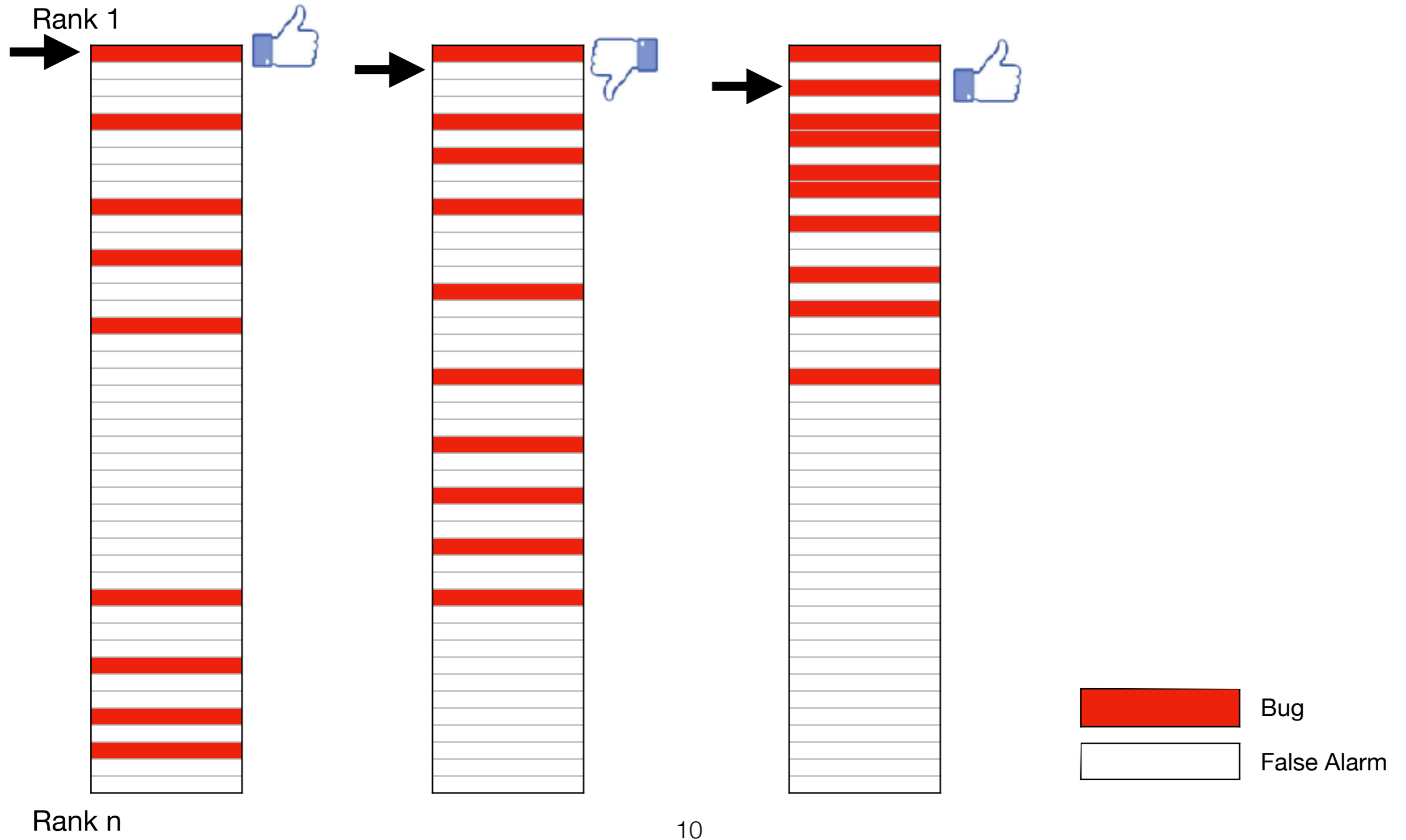




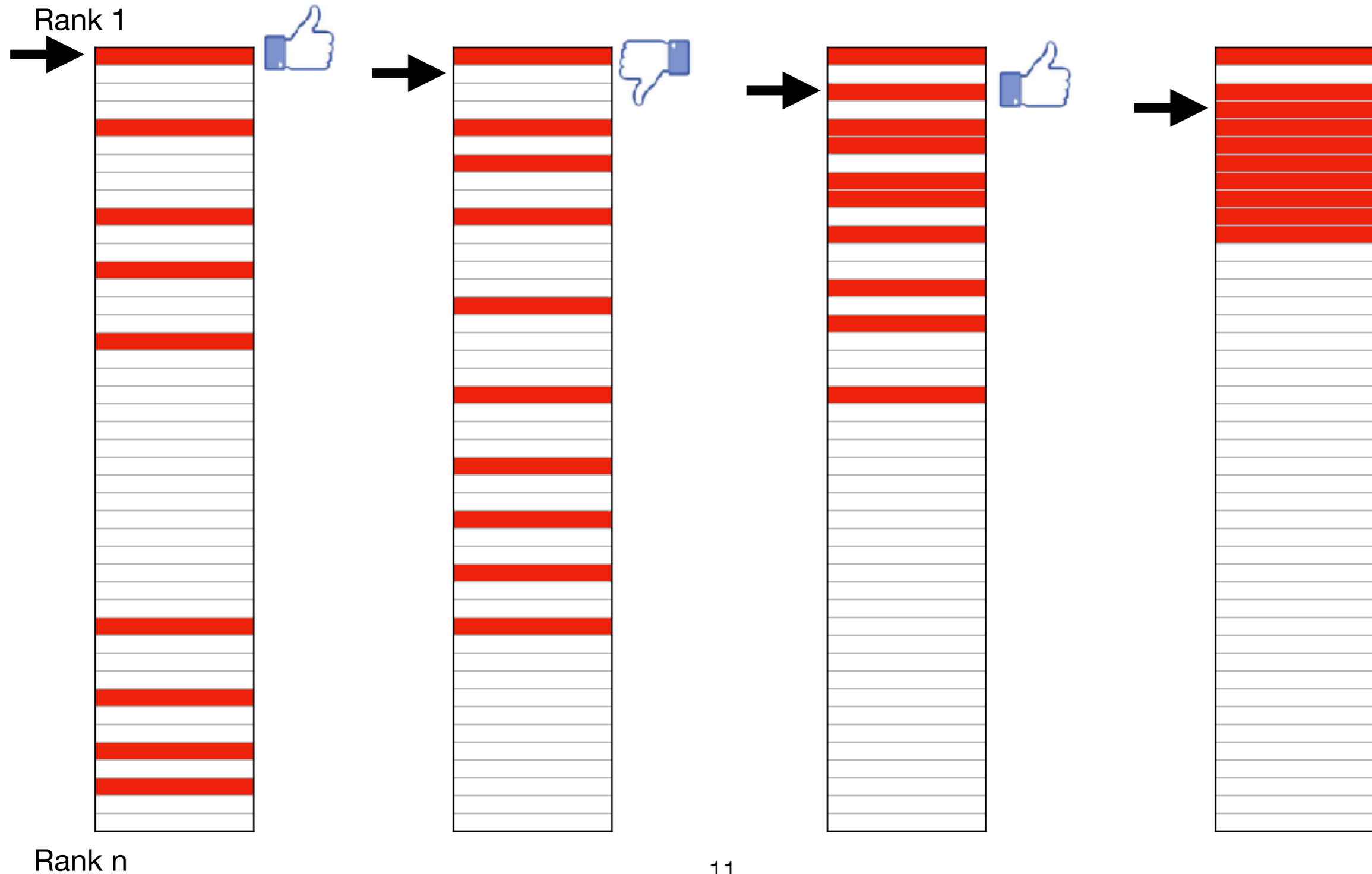
# Interactive Alarm Ranker



# Interactive Alarm Ranker



# Interactive Alarm Ranker



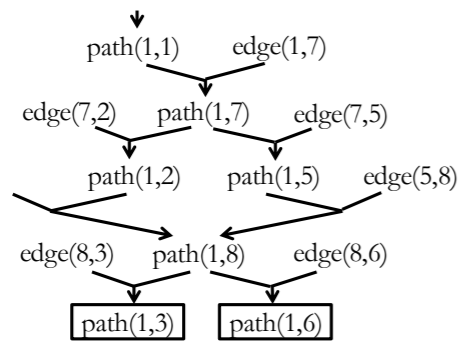
# Interactive Alarm Ranker

- Key idea: Human in the loop + Bayesian inference

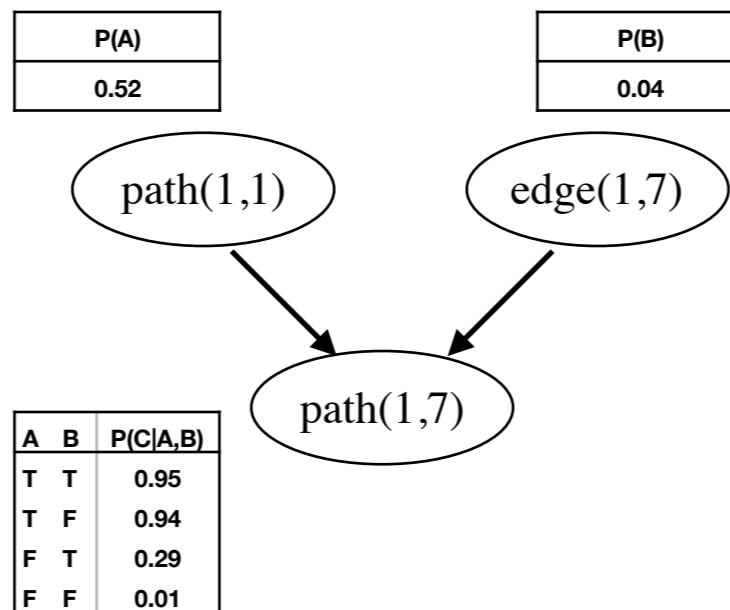
```

f() {
  v1 = new ...
  v2 = id1(v1)
  v3 = id2(v2)
  assert(v3!=v1) q1
}
id1(v) { return v }

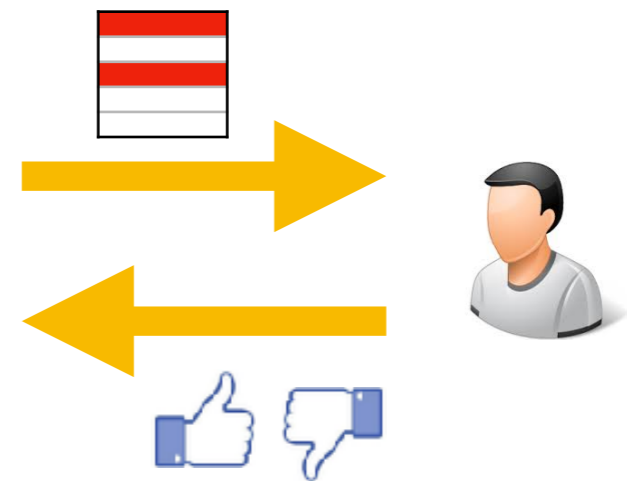
g() {
  v4 = new ...
  v5 = id1(v4)
  v6 = id2(v5)
  assert(v6!=v1) q2
}
id2(v) { return v }
    
```



Static Analysis Result

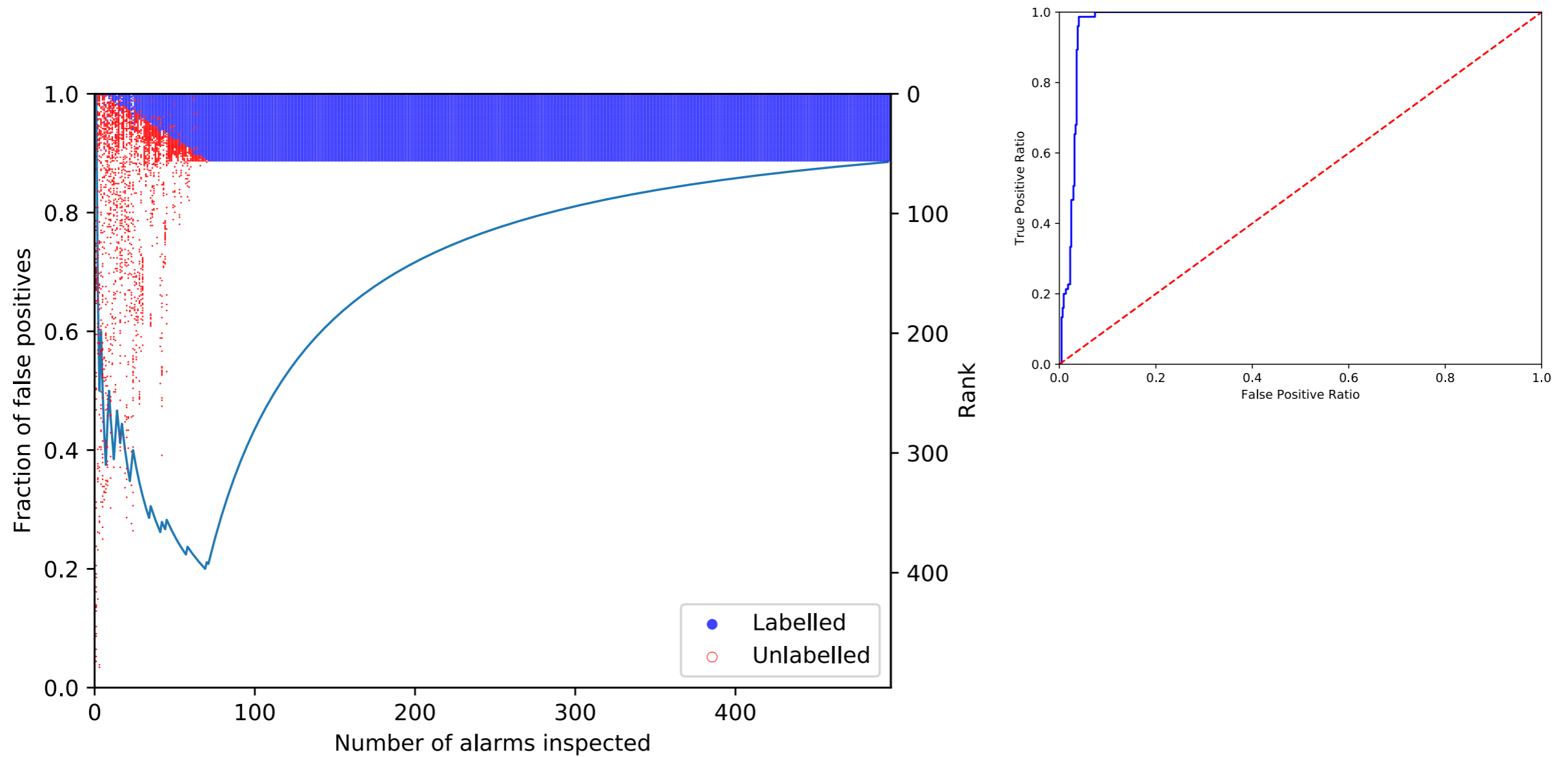


Bayesian Network

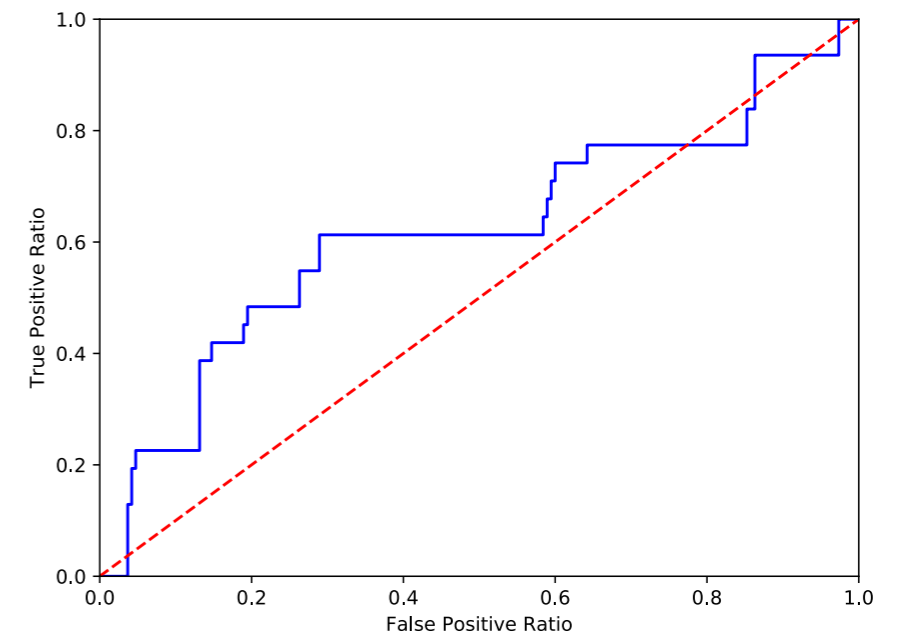
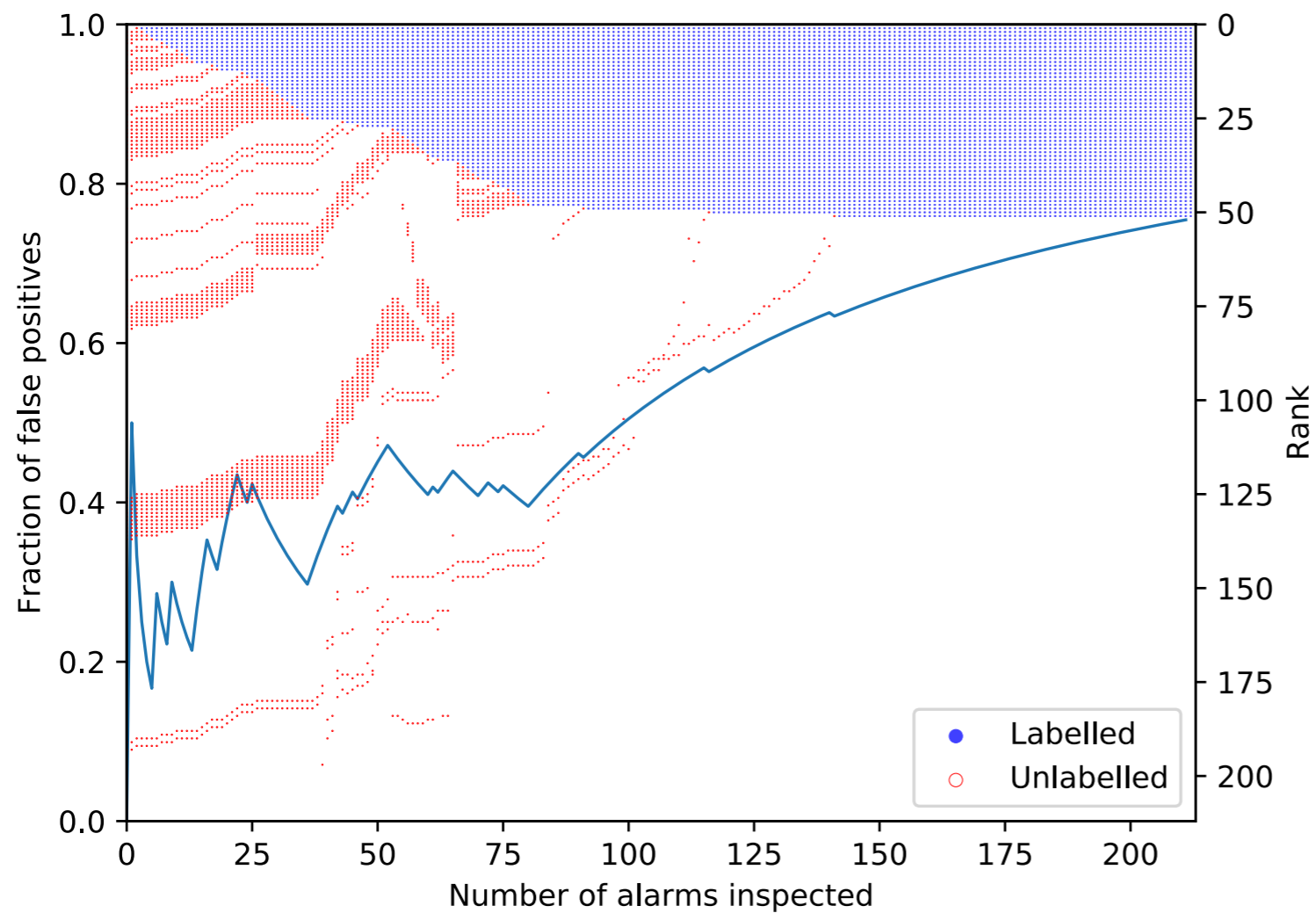


User

# Case Study: Datarace



# Case Study: Information Flow



# Datarace Analysis

```
public class RequestHandler {  
    private FtpRequest request;  
  
    public FtpRequest getRequest() {  
        return request;           //L0  
    }  
  
    public void close() {  
        synchronized (this) {    //L1  
            if (isClosed) return; //L2  
            isClosed = true;      //L3  
        }  
        controlSocket.close();    //L4  
        controlSocket = null;     //L5  
        request.clear();          //L6  
        request = null;          //L7  
    }  
}
```

```
Parallel(p1, p3) :- Parallel(p1, p2), Next(p2, p3),  
                    Unguarded(p1, p3).  
Parallel(p1, p2) :- Parallel(p2, p1).  
Race(p1, p2) :- Parallel(p1, p2), Alias(p1, p2).
```

# Datarace Analysis

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**Datarace**



# Datarace Analysis

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Race(p1, p2) :- Parallel(p1, p2), Alias(p1, p2).

**False alarm**

**False alarm**

\*Apache FTP Server

# Derivation Graph

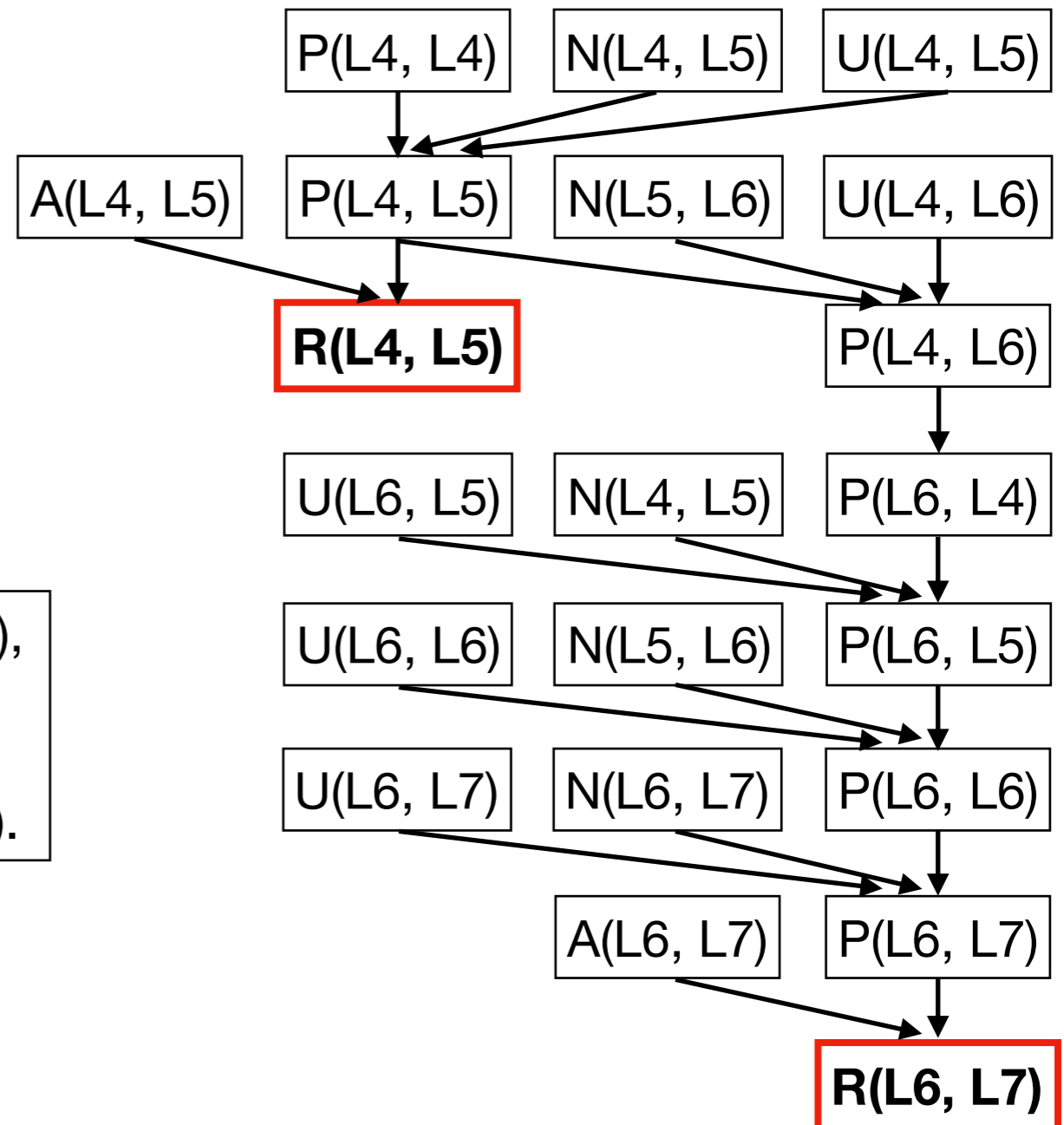
## Program

```
controlSocket.close(); //L4
controlSocket = null; //L5
request.clear(); //L6
request = null; //L7
```

## Datalog Rule

```
Parallel(p1, p3) :- Parallel(p1, p2), Next(p2, p3),
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Parallel(p1, p2) :- Parallel(p2, p1).
Race(p1, p2) :- Parallel(p1, p2), Alias(p1, p2).
```

## Derivation Graph



# Bayesian Network



## Logical Rule

```

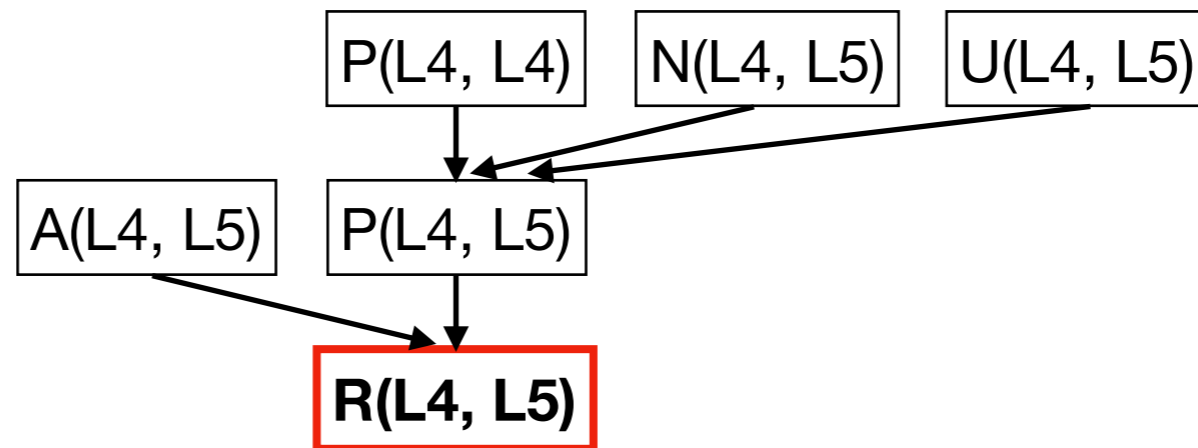
Parallel(p1, p3) :- Parallel(p1, p2), Next(p2, p3),
                    Unguarded(p1, p3).
Parallel(p1, p2) :- Parallel(p2, p1).
Race(p1, p2) :- Parallel(p1, p2), Alias(p1, p2).
    
```

## Probabilistic Rule

P(L4,L4)	N(L4,L5)	U(L4,L5)	Pr(P(L4,L5)   H)
TRUE	TRUE	TRUE	0.95
TRUE	TRUE	FALSE	0
...			
FALSE	FALSE	FALSE	0

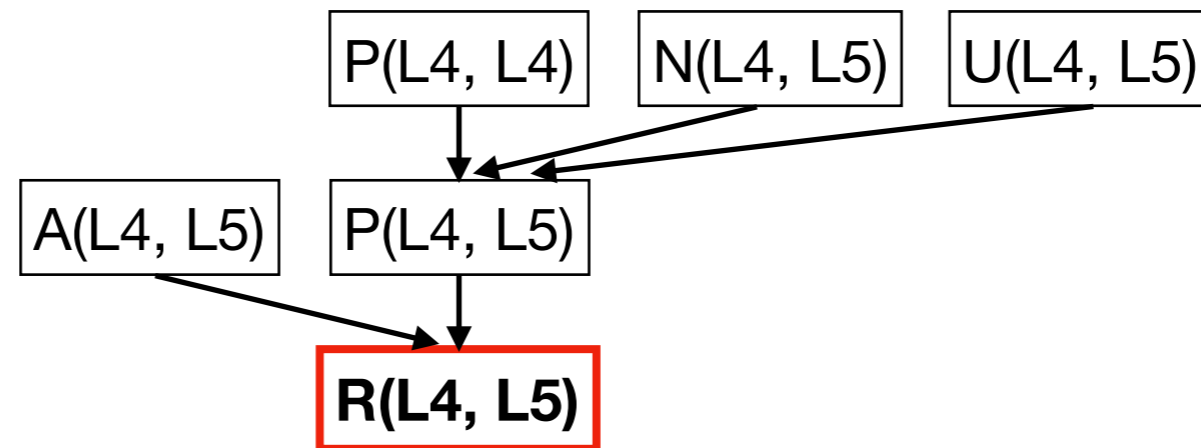
$$H = P(L4,L4) \wedge N(L4,L5) \wedge U(L4,L5)$$

# Marginal Inference



$$\begin{aligned} \Pr(R(L4, L5)) = & \Pr(R(L4, L5), A(L4, L5), P(L4, L5)) \\ & + \Pr(R(L4, L5), \neg A(L4, L5), P(L4, L5)) \\ & + \Pr(R(L4, L5), A(L4, L5), \neg P(L4, L5)) \\ & + \Pr(R(L4, L5), \neg A(L4, L5), \neg P(L4, L5)) \end{aligned}$$

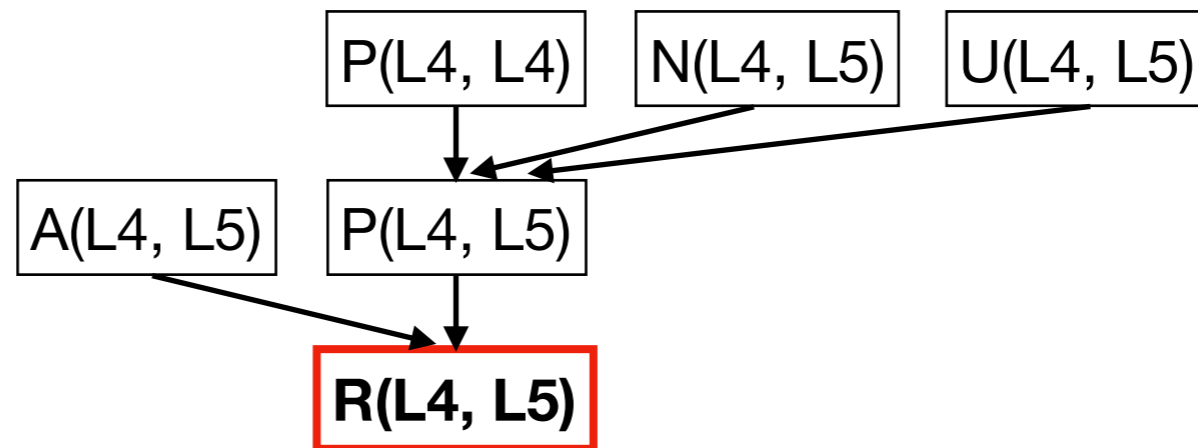
# Marginal Inference



$$\begin{aligned} \Pr(R(L4, L5)) = & \Pr(R(L4, L5), A(L4, L5), P(L4, L5)) \\ & + \Pr(R(L4, L5), \neg A(L4, L5), P(L4, L5)) \\ & + \Pr(R(L4, L5), A(L4, L5), \neg P(L4, L5)) \\ & + \Pr(R(L4, L5), \neg A(L4, L5), \neg P(L4, L5)) \end{aligned}$$

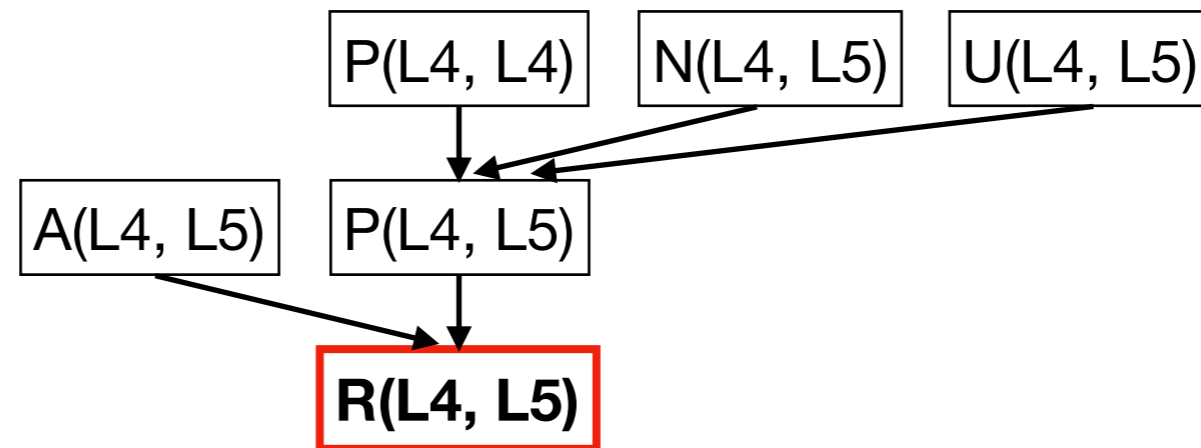
If any of the antecedents fail,  
then the race cannot happen.

# Marginal Inference



$$\Pr(R(L4,L5)) = \Pr(R(L4,L5), A(L4,L5), P(L4,L5))$$

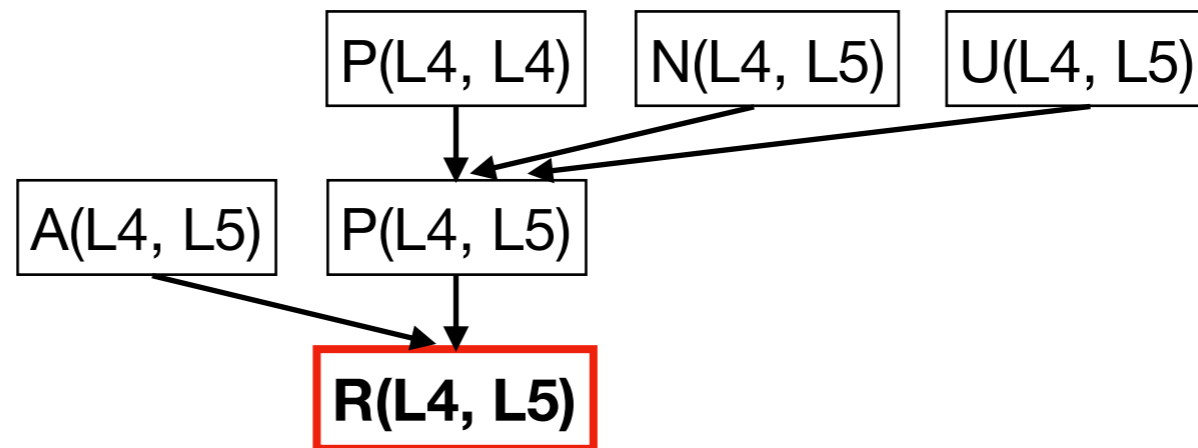
# Marginal Inference



$$\begin{aligned} \Pr(R(L4, L5)) &= \Pr(R(L4, L5), A(L4, L5), P(L4, L5)) \\ &= \Pr(R(L4, L5) \mid A(L4, L5), P(L4, L5)) * \\ &\quad \Pr(A(L4, L5)) * \Pr(P(L4, L5)) \end{aligned}$$

By Bayes's Rule:  
 $\Pr(A, B) = \Pr(A \mid B) * \Pr(B)$

# Marginal Inference

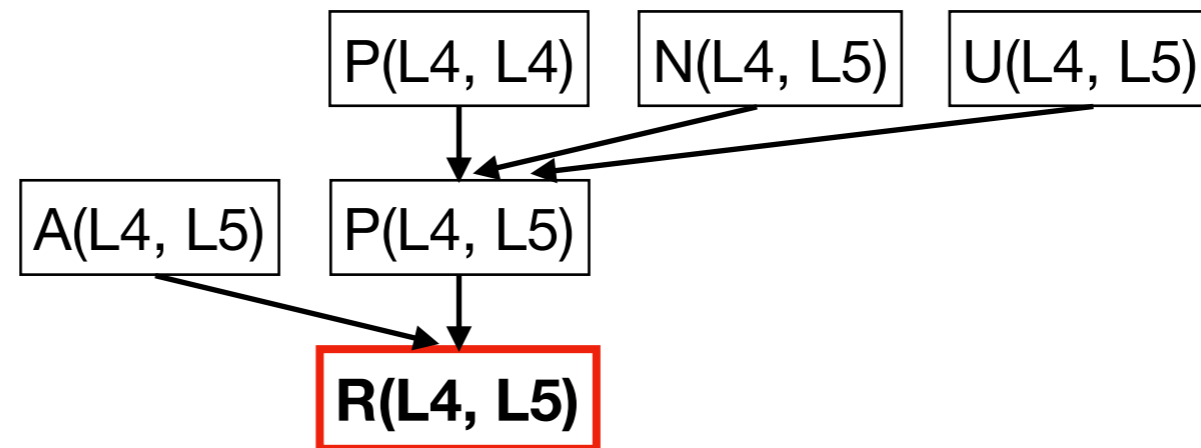


$$\begin{aligned}\Pr(R(L4, L5)) &= \Pr(R(L4, L5), A(L4, L5), P(L4, L5)) \\ &= \Pr(R(L4, L5) \mid A(L4, L5), P(L4, L5)) * \\ &\quad \Pr(A(L4, L5)) * \Pr(P(L4, L5)) \\ &= 0.95 * 1.0 * \Pr(P(L4, L5)) \\ &= 0.95 * \Pr(P(L4, L5), \Pr(P(L4, L4)), \Pr(N(L4, L5)), \Pr(U(L4, L5)))\end{aligned}$$

Assume that the probability of firing each rule and input tuple is 0.95 and 1.0.



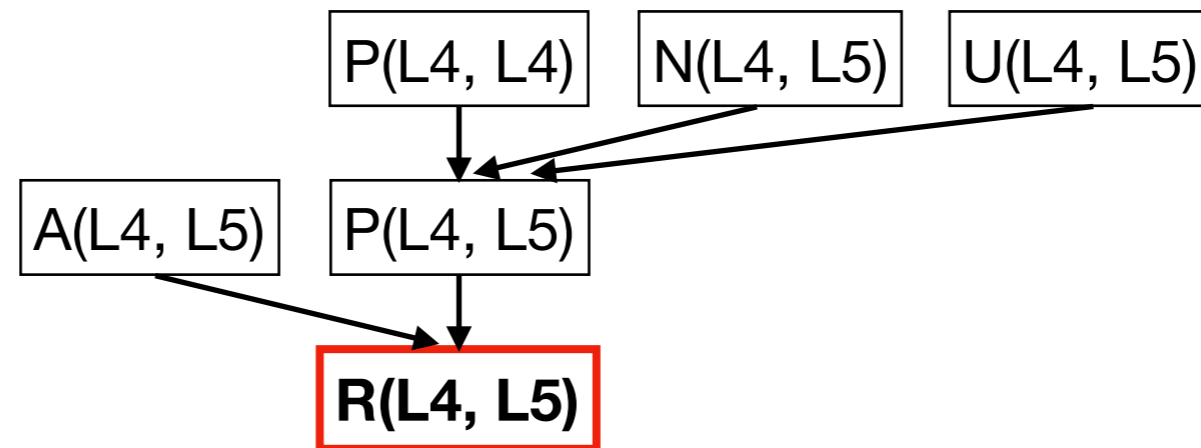
# Marginal Inference



$$\begin{aligned}
 \Pr(R(L4,L5)) &= \Pr(R(L4,L5), A(L4,L5), P(L4,L5)) \\
 &= \Pr(R(L4,L5) \mid A(L4,L5), P(L4,L5)) * \\
 &\quad \Pr(A(L4,L5)) * \Pr(P(L4,L5)) \\
 &= 0.95 * 1.0 * \Pr(P(L4,L5)) \\
 &= 0.95 * \Pr(P(L4,L5), \Pr(P(L4,L4)), \Pr(N(L4,L5)), \Pr(U(L4,L5))) \\
 &= 0.95 * \Pr(P(L4,L5) \mid \Pr(P(L4,L4)), \Pr(N(L4,L5)), \Pr(U(L4,L5))) * \\
 &\quad \Pr(P(L4,L4)) * \Pr(N(L4,L5)) * \Pr(U(L4,L5))
 \end{aligned}$$

By Bayes's Rule:  
 $\Pr(A,B) = \Pr(A|B) * \Pr(B)$

# Marginal Inference



$$\begin{aligned}\Pr(R(L4, L5)) &= \Pr(R(L4, L5), A(L4, L5), P(L4, L5)) \\ &= \Pr(R(L4, L5) \mid A(L4, L5), P(L4, L5)) * \\ &\quad \Pr(A(L4, L5)) * \Pr(P(L4, L5)) \\ &= 0.95 * 1.0 * \Pr(P(L4, L5)) \\ &= 0.95 * 0.95 * \Pr(P(L4, L4)) * \Pr(N(L4, L5)) * \Pr(U(L4, L5)) \\ &= \dots \\ &= 0.398\end{aligned}$$

# Alarm Ranking

```
public class RequestHandler {  
    private FtpRequest request;  
  
    public FtpRequest getRequest() {  
        return request;           //L0  
    }  
  
    public void close() {  
        synchronized (this) {     //L1  
            if (isClosed) return; //L2  
            isClosed = true;      //L3  
        }  
        controlSocket.close();    //L4  
        controlSocket = null;     //L5  
        request.clear();          //L6  
        request = null;           //L7  
    }  
}
```

Ranking	Alarm	Confidence
1	R(L4, L5)	0.398
2	R(L5, L5)	0.378
3	R(L6, L7)	0.324
4	R(L7, L7)	0.308
5	R(L0, L7)	0.279

# Alarm Ranking

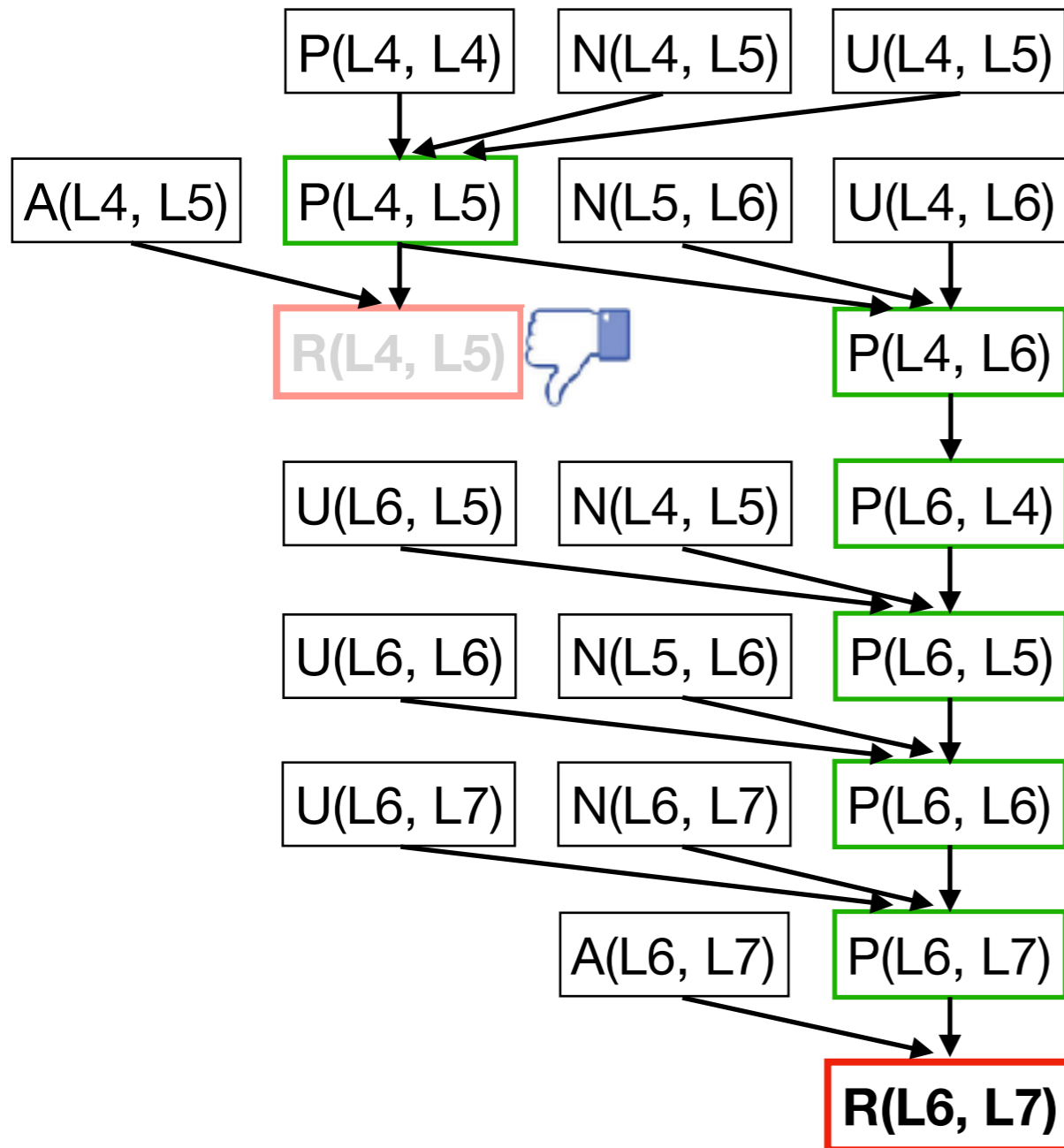
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```

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5	R(L0, L7)	0.279



**Q: What are the probabilities of the other alarms when R(L4,L5) is false?**

# Alarm Ranking



$$\begin{aligned}
 & \Pr(P(L4, L5) \mid \neg R(L4, L5)) \\
 &= \Pr(\neg R(L4, L5) \mid P(L4, L5)) * \\
 & \quad \Pr(P(L4, L5)) / \Pr(\neg R(L4, L5)) \\
 &= 0.03
 \end{aligned}$$

By Bayes's Rule:  
 $\Pr(A|B) = P(B|A) * \Pr(A) / \Pr(B)$

$$\begin{aligned}
 & \Pr(R(L6, L7) \mid \neg R(L4, L5)) \\
 &= \Pr(R(L6, L7) \mid P(L4, L5)) * \\
 & \quad \Pr(P(L4, L5) \mid \neg R(L4, L5)) \\
 &= 0.03
 \end{aligned}$$

# Alarm Ranking

Ranking	Alarm	Confidence
1	R(L4, L5)	0.398
2	R(L5, L5)	0.378
3	R(L6, L7)	0.324
4	R(L7, L7)	0.308
5	R(L0, L7)	0.279

Ranking	Alarm	Confidence
1	R(L0, L7)	0.279
2	R(L5, L5)	0.035
3	R(L6, L7)	0.030
4	R(L7, L7)	0.028
5	R(L4, L5)	0



# Experimental Results

- Datarace

Pgm	#Bugs	#Alarms	#Iters	AUC
hedc	12	152	67	0.81
ftp	75	522	103	0.98
weblech	6	30	11	0.84
jspider	9	257	20	0.97
avroa	29	978	410	0.75
luindex	2	940	14	0.99
sunflow	171	958	838	0.79
xalan	75	1870	273	0.91

# Experimental Results

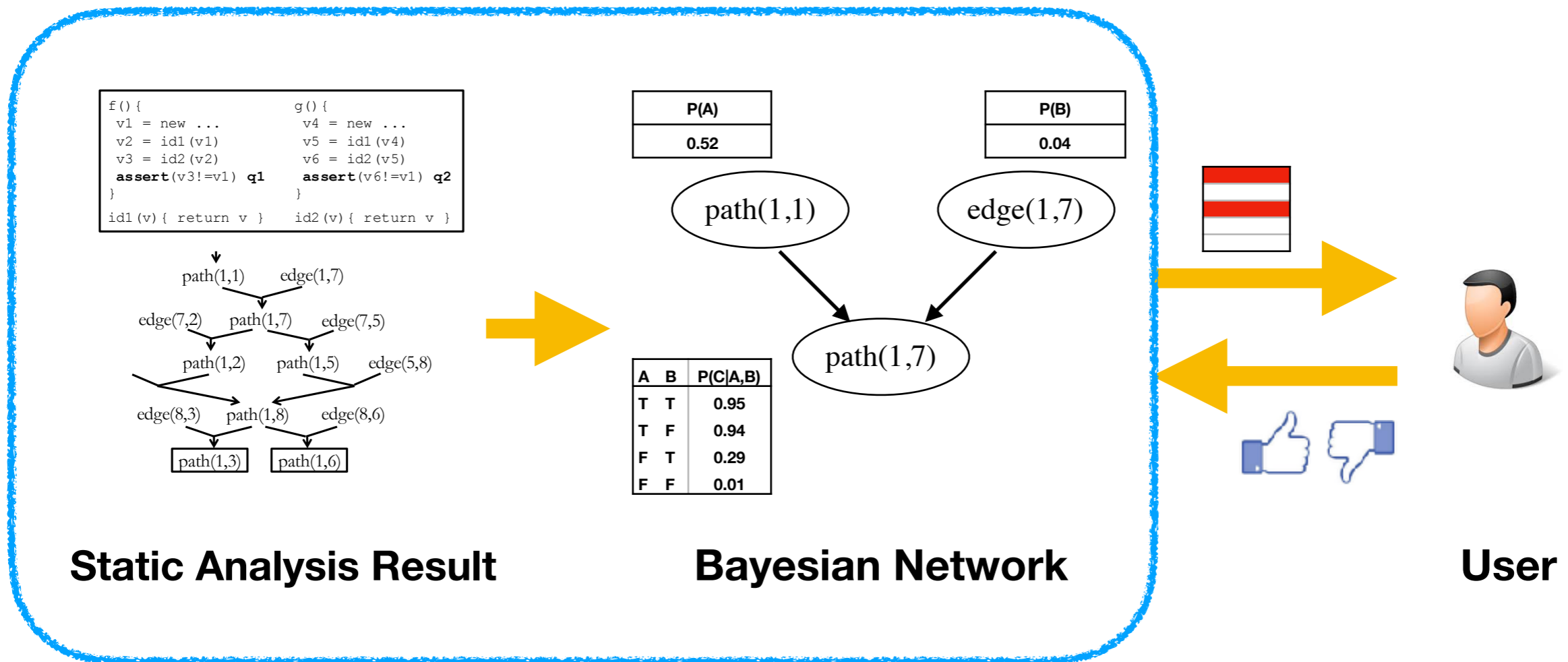
- Information flow

Pgm	#Bugs	#Alarms	#Iters	AUC
app-324	15	110	51	0.83
noisy-sound	52	212	135	0.89
app-ca7	157	393	206	0.96
app-kQm	160	817	255	0.93
tilt-mazes	150	352	221	0.95
ardors-trail	7	156	14	0.98
ginger-master	87	437	267	0.84
app-018	46	420	288	0.85



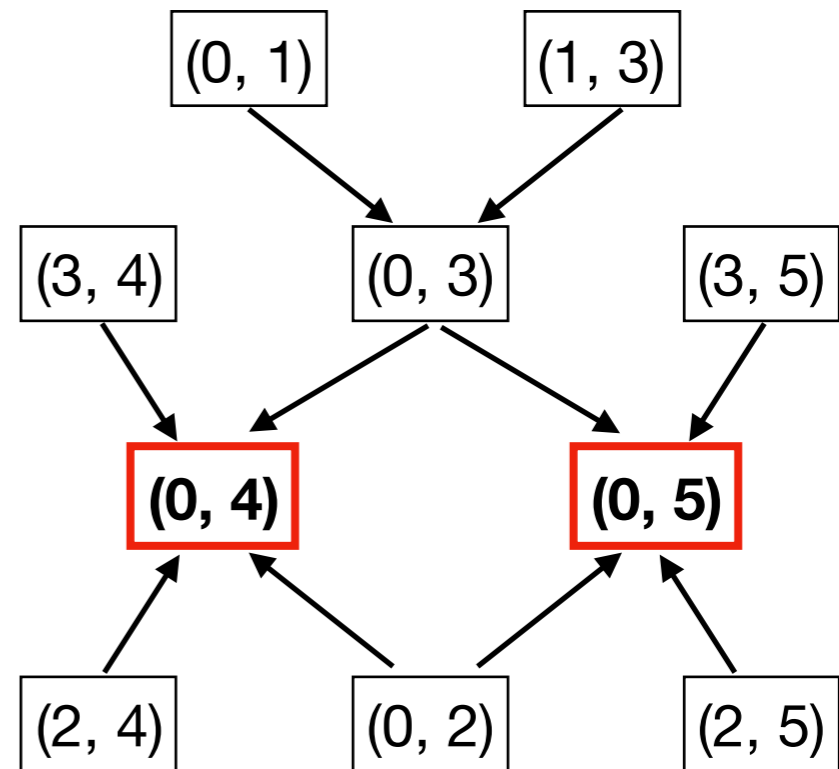
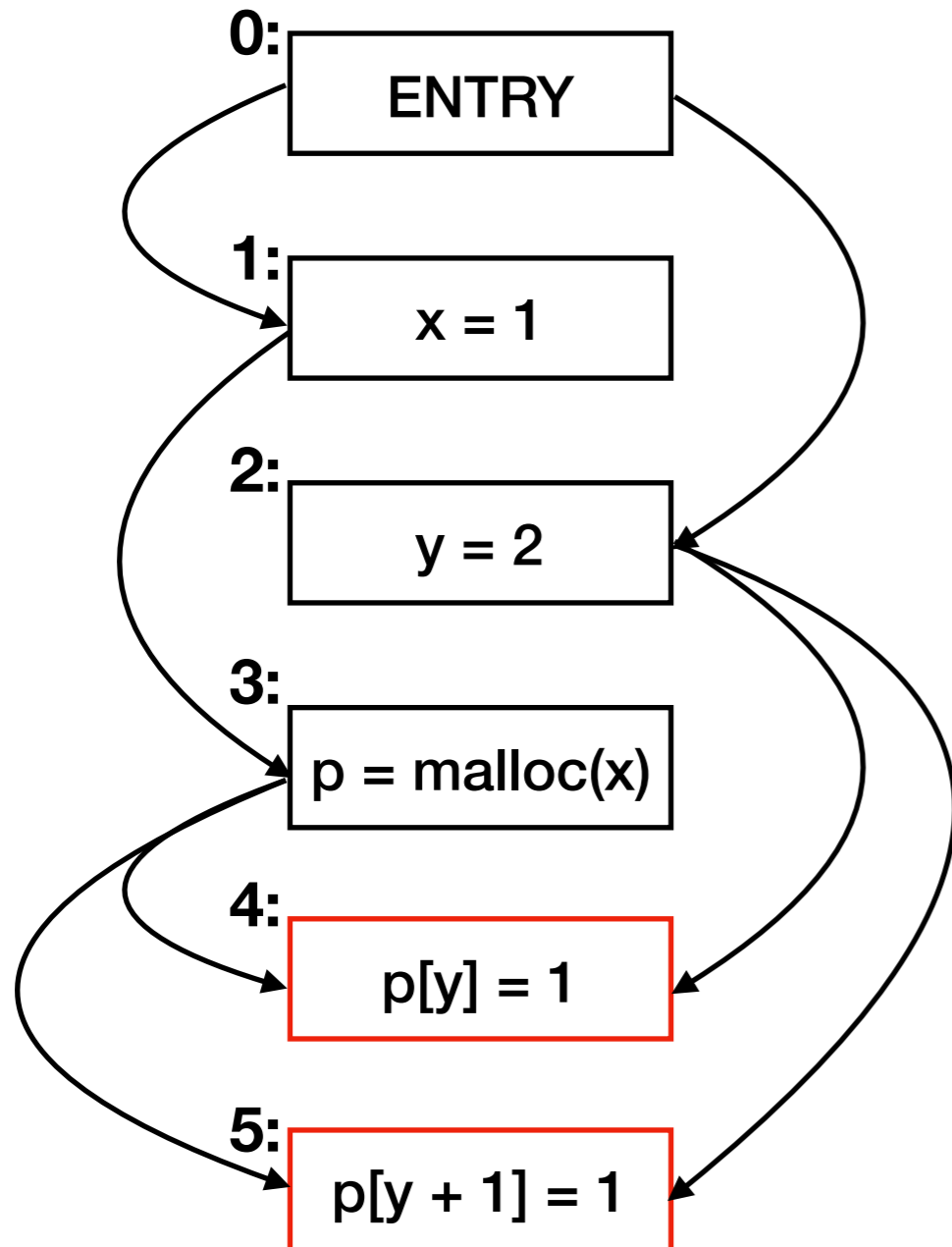
# Future Work

- How transform non-datalog analysis results to Bayesian network?



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# Future Work

- Learning the prior probability distribution
- Optimizing the marginal inference solver
- Transferring the learned knowledge to other programs
- Designing more fine-grained interaction models

# Conclusion

- First interactive alarm ranking system
- Logical + probabilistic reasoning using Bayesian network
- Hope to generalize for other static analyses

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- First interactive alarm ranking system
- Logical + probabilistic reasoning using Bayesian network
- Plan to generalize for other static analyses

**Thank You**